

Principles of Network Security

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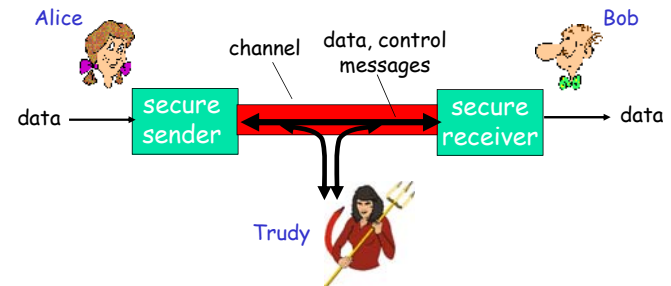
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The Network Security Model

- Bob and Alice want to communicate "securely".
- Trudy (the adversary) has access to the channel.



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Who might Bob and Alice be?

- Web browser/server for electronic transactions (e.g., on-line purchases/banking)
- DNS servers
- routers exchanging routing table updates
- ... well, *real-life* Bobs and Alices!

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What can an adversary do?

- eavesdrop**: understand the content of messages
- actively **changing** messages
- impersonation**: fake (spoof) identity
- denial of service**: prevent service from being used by others (e.g., by overloading resources)

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What is Network Security?

- Confidentiality:** only sender, intended receiver should "understand" message contents
- Authentication:** sender, receiver want to confirm identity of each other
- Message Integrity:** sender, receiver want to ensure message not altered (in transit, or afterwards)
- Access and Availability:** services must be accessible and available to (and only to) legitimate users.

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Principles of Network Security

- **Confidentiality:** cryptology
- Authentication
- Integrity

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The Language of Cryptography

First goal of cryptography: **confidentiality.**

```

    graph LR
      P1[plaintext] --> E[encryption algorithm]
      KA[Alice's encryption key KA] --> E
      E --> C[ciphertext]
      C --> D[decryption algorithm]
      KB[Bob's decryption key KB] --> D
      D --> P2[plaintext]
      E --> Eaves[Eavesdropper]
      D --> Eaves
  
```

- **symmetric key** crypto: encryption and decryption keys are identical. (both are *secret*)
- **public key** crypto: encryption key is *public*, decryption key is *secret*.

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Symmetric Key Cryptography: Monoalphabetic Cipher

Monoalphabetic cipher: substitute one letter for another.

plaintext: abcdefghijklmnopqrstuvwxyz

↓

ciphertext: mnbvcxzasdfghjklpoiuytrewq

Example: Plaintext: bob. i love you. alice

 ciphertext: nkn. s gktc wky. mgsbc

Q1: How hard to break this simple cipher?

- brute force?
- other?

Q2: How to make it more difficult to break?

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Symmetric Key Cryptography: DES

- **DES: Data Encryption Standard**
 - US encryption standard [NIST 1993]
 - 56-bit symmetric key, 64-bit plaintext input
 - **encryption**: initial permutation \Rightarrow 16 "rounds", each using different 48 bits of key \Rightarrow final permutation
 - **decryption**: reverse operation using the same key
- How secure is DES?
 - DES Challenge (1999): 56-bit-key-encrypted phrase decrypted (brute force) in 22 hours 15 minutes
- Making DES more secure:
 - use three keys sequentially (3-DES)
 - use more bits

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AES: Advanced Encryption Standard

- new (Nov. 2001) symmetric-key NIST standard, replacing DES
- processes data in 128 bit blocks
- 128, 192, or 256 bit keys
- brute force decryption (try each key) taking 1 sec on DES, takes 149 trillion years for 128-bit AES

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Public Key Cryptography

symmetric key cryptography

- requires sender, receiver know shared secret key
- Q: how to agree on key in first place? (particularly difficult if Trudy is eavesdropping on all communication)

public key cryptography

- encryption key is different from decryption key
- encryption key is **public**, known to **everyone**, also called **public key**
- decryption key is **secret**, known only to **receiver**, also called **private key**

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Public Key Cryptography

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Public Key Cryptography: RSA

(Ron Rivest, Adi Shamir and Len Adleman)

- Choosing keys:
 - Choose two large prime numbers p, q . (e.g., 1024 bits each)
 - Compute $n = pq$, $z = (p-1)(q-1)$
 - Choose e (with $e < n$) that has no common factors with z .
 - Choose d such that $ed-1$ is exactly divisible by z .
 - Public key is (n,e) . Private key is (n,d) .
- To encrypt a message, $m (< n)$: do $c = m^e \bmod n$
- To decrypt a received ciphertext, c : do $m = c^d \bmod n$
- Reason: for any m (relatively prime with n)
 - $m^z \bmod n = 1$; therefore $m^{ed-1} \bmod n = 1$
- Another property: $(m^d \bmod n)^e \bmod n = m$
- RSA is much slower than the symmetric key cryptos.

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Principles of Network Security

- Confidentiality: cryptography
- Authentication
- Integrity

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Authentication: version 1.0

Authentication: Bob wants Alice to "prove" her identity to him.

Protocol ap1.0: Alice says "I am Alice".

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Authentication: version 2.0

Protocol ap2.0: Alice says "I am Alice" and sends her secret password to "prove" it.

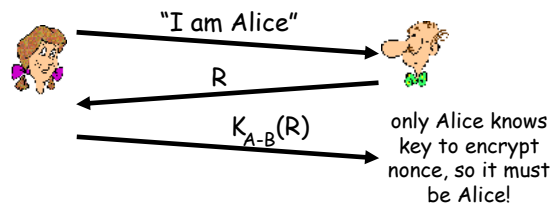
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Authentication: version 3.0

Goal: avoid playback attack

Nonce: number (R) used only *once-in-a-lifetime*

ap3.0: Bob sends Alice a **nonce**, R. Alice must return R, encrypted with shared secret key



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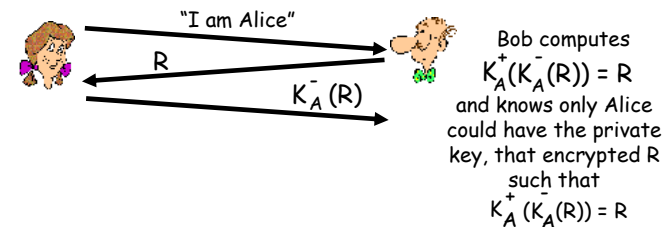
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Authentication: version 4.0

ap3.0 requires shared symmetric key. Key distribution can be a problem.

ap4.0: use nonce, public key cryptography.



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Integrity

- Digital Signatures:
 - Cryptographic technique to ensure document integrity.
 - analogous to hand-written signatures.
- sender (Bob) digitally signs document, establishing he is document owner/creator.
- the recipient (Alice) receives the document and the digital signatures.
- the recipient can be sure that the document is
 - **verifiable:** Bob signed the document.
 - **nonforgeable:** the document hasn't been changed since Bob signed it.

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Digital Signatures

- Bob signs m by encrypting with his private key, creating a digital signature $K_B^-(m)$

Bob's message, m

Dear Alice
Oh, how I have missed you. I think of you all the time! ... (blah blah blah)
Bob

Public key encryption algorithm

Bob's message, m , signed (encrypted) with his private key

$K_B^-(m)$

K_B^- Bob's private key

- Suppose Alice receives msg m and its digital signature $K_B^-(m)$
- Alice applies Bob's public key K_B^+ to $K_B^-(m)$ then checks whether $K_B^+(K_B^-(m)) = m$.
- If so, whoever signed m must have used Bob's private key.

Problem: computationally expensive to public-key-encrypt long messages.

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Message Digests

- apply a hash function H to m , get a much smaller message digest $H(m)$.

large message m

H: Hash Function

$H(m)$

- public-key-encrypt the message digest to generate the digital signature $K_B^-(H(m))$.
- example hash functions?

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Digital signature = signed message digest

Bob sends digitally signed message digest:

large message m

H: Hash function

$H(m)$

Bob's private key K_B^-

digital signature (encrypt)

encrypted msg digest $K_B^-(H(m))$

Alice verifies signature and integrity of digitally signed message:

large message m

H: Hash function

$H(m)$

Bob's public key K_B^+

digital signature (decrypt)

encrypted msg digest $K_B^-(H(m))$

equal ?

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Message Digests: good/bad hash function

- apply a hash function H to m , get a much smaller message digest $H(m)$.
- public-key-encrypt the message digest to generate the digital signature $K_B^-(H(m))$.

Good/bad has functions?

- Note:** given a hash function, it is possible for many messages sharing the same digest.

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Internet Checksum: Poor Hash Function for Generating Message Digests

Given a message and its Internet checksum, it is easy to find another message with same checksum.

<u>message</u>	<u>ASCII format</u>		<u>message</u>	<u>ASCII format</u>	
I O U 1	49 4F 55 31		I O U <u>9</u>	49 4F 55 <u>39</u>	
0 0 . 9	30 30 2E 39		0 0 . <u>1</u>	30 30 2E <u>31</u>	
9 B O B	39 42 D2 42		9 B O B	39 42 D2 42	
	B2 C1 D2 AC	different messages		B2 C1 D2 AC	but identical checksums!

Hash function property: given digest x for message m , computationally infeasible to find another message m' that shares the same digest.

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Good Hash Functions for Generating Message Digests

- MD5 hash function widely used
 - computes 128-bit message digest in 4-step process.
 - appears difficult to construct message m whose MD5 hash is equal to x .
- SHA-1 is also used.
 - [NIST, FIPS PUB 180-1]
 - 160-bit message digest

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