

# CSC2/458 Parallel and Distributed Systems

## Termination Detection

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URCS

Termination Detection

Ring termination (Dijkstra et al.)

Misra's Algorithm

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Misra's Algorithm

# Definitions

- Passive: process is waiting for a message or is done
- Active: process is not passive (i.e. executing)
- Terminated: all processes are passive AND no messages are in transit

# Global Termination Detection challenges

Main challenge: Can't observe all processes at the same instant

- All processes observed so far (in set  $X$ ) may be passive
- But a process  $q$  yet unobserved may send a message to a process  $p$  in  $X$ 
  - turning  $p$  active when it receives the message
  - (but we have moved on, observing  $p$  was passive!)
- And then  $q$  can turn passive itself

## General strategy

- Ensure all processes are passive
- And no process observed as passive will ever turn active

Is detecting termination similar to detecting something else?

# Outline

Termination Detection

Ring termination (Dijkstra et al.)

Misra's Algorithm

# Assumptions

- No messages are lost
- Only active processes can send messages
- Receipt of a message reactivates a passive process
- There is a ring structure
  - $P_0, P_1, P_2, P_{n-1}, P_0$
  - for termination messages, communication only between  $P_i$  and  $P_{i-1}$
  - other messages can have any other topology

## General ideas

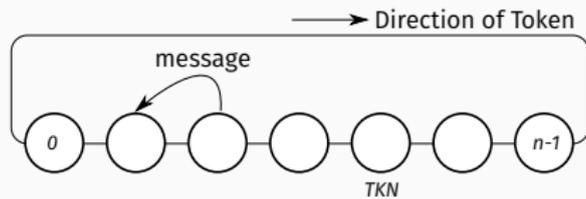
- Uses a token per detection
- Termination detection launched by a single process  $P_0$ 
  - Sends token when it is passive
  - $P_0$  sends token to  $P_{n-1}$
  - $P_{n-1}$  sends token to  $P_{n-2}$  only when it is passive
- To avoid “pseudo-termination” (i.e. passive when receiving token, but can be reactivated later), a token is given a colour
  - Initially white
  - If token is still white at end of complete journey of ring, termination has occurred

# Complications

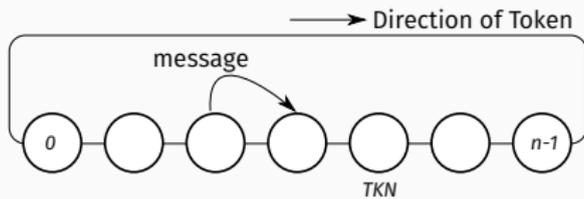
When a process that has not seen a token is about to send a message:

- it does not know where the token is
- this lack of knowledge causes issues
  - can result in “pseudo-termination”

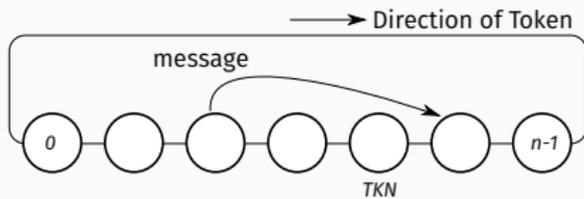
# Complications - 1



## Complications - 2



## Complications - 3



# Handling messages in transit - 1

- All processes are also given a colour
  - Initially, white
- Consider a process  $P_j$  not visited by the token
  - It may send a message to  $P_k$  reactivating it
  - What if  $k < j$ ?
  - What if  $k > j$ ?

## Handling messages in transit - 2

- What if  $k > j$ ?
  - Change process colour to black
- If a white token encounters a white process, it forwards a white token
- In all other cases, it forwards a black token
- Once a token is forwarded, the colour of the process is reset to white

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## Where have we seen it before?

What did we use Misra's algorithm for last time?

# Termination Detection using Markers

- Useful for detecting loss of mutual exclusion token
- Useful for termination detection
  - much simpler

# Setup

- No messages are lost
- All messages between two processes are received in order
- A marker is continuously circulated
  - And contains a number  $n$
- All processes have a colour
  - Initially, black

## Working of the algorithm (on a ring)

- Assume a ring
- A marker is sent only by an passive process
- A marker colours a process white when it leaves
- A process turns black if it is activated
- How should the  $n$  inside the token behave?

# Working of the algorithm on an arbitrary network - 1

- Assume processes are connected in an arbitrary graph
  - Vertices represent processes
  - Edges represent communication
- I.e. processes  $x$  and  $y$  have different communication channel than
- What complication does this create (vis-a-vis the ring?)
  - How can we solve it?

## Working of the algorithm on an arbitrary network - 2

- Assume a strongly connected network
  - There exists a cycle in this network that includes every edge at least once
- Precompute this cycle, of length  $c$ 
  - When marker is forwarded, it is sent on next edge of this cycle
  - Termination detected when  $n == c$

## Arbitrary networks with no precomputation

- Do we have to precompute the cycle?
  - Can't we do this when forwarding the marker?
- Can't we forward markers in a distributed fashion?
  - How to choose edges?

# Sketch

- A depth first search of an undirected graph constructs the cycle in which all edges are present
- See paper for the rest
  - Misra, Jayadev, "Detecting Termination of Distributed Computations using Markers", PODC 1983